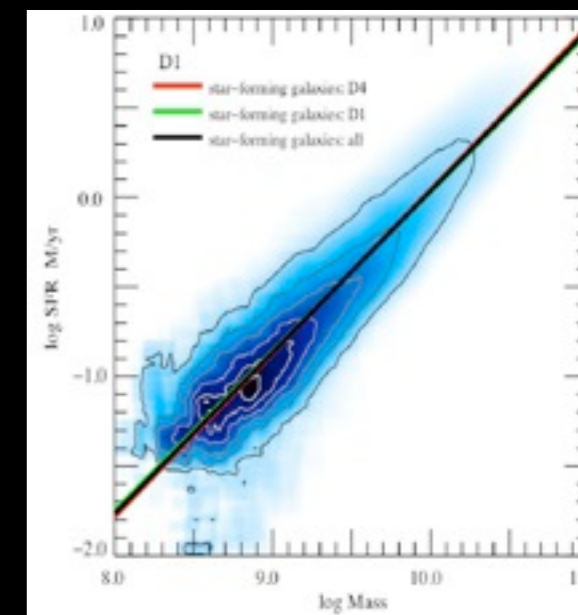
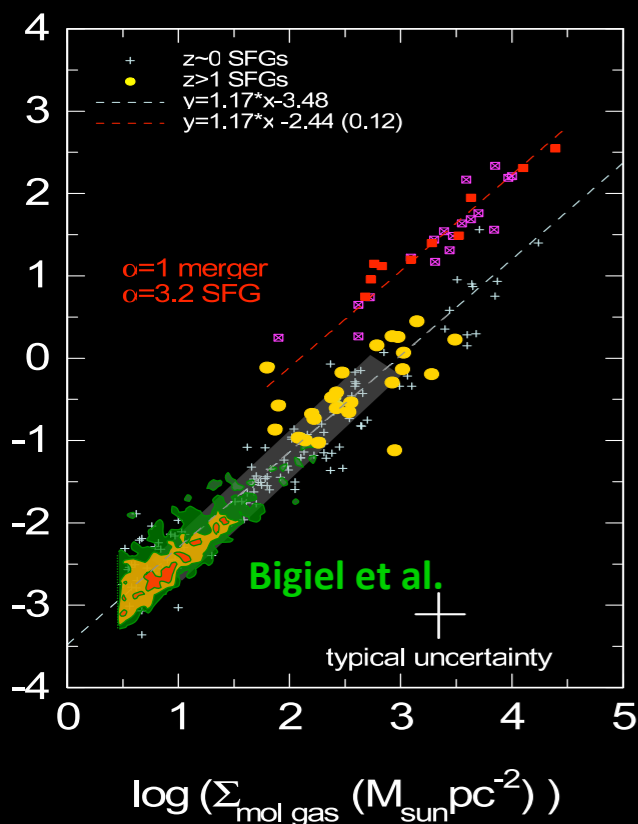
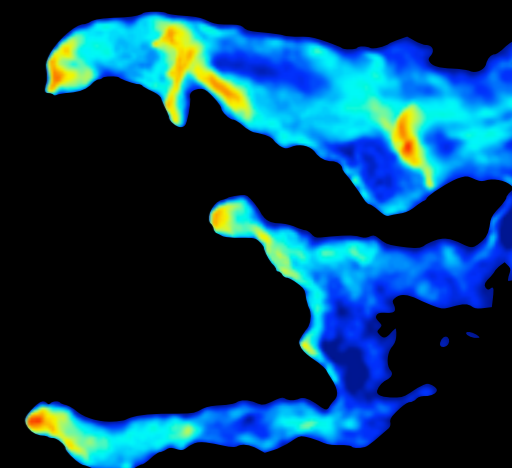


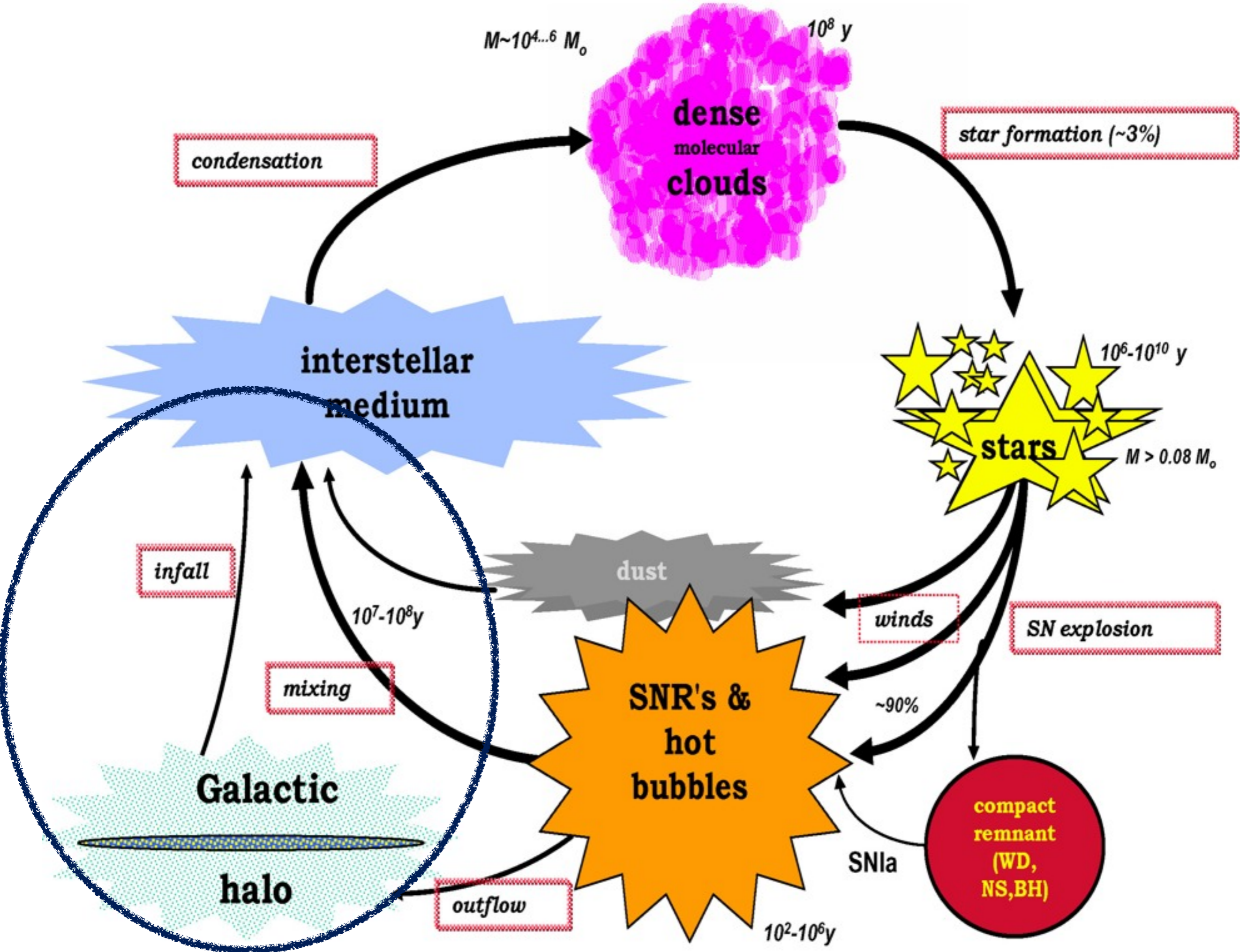
# Self-regulated star formation

Andreas Burkert



C. Dobbs, E. Ntormousi, K. Fierlinger,  
J. Ngoumou, J. Pringle, L. Hartmann,  
S. Walch, T. Preibisch, J. Dale



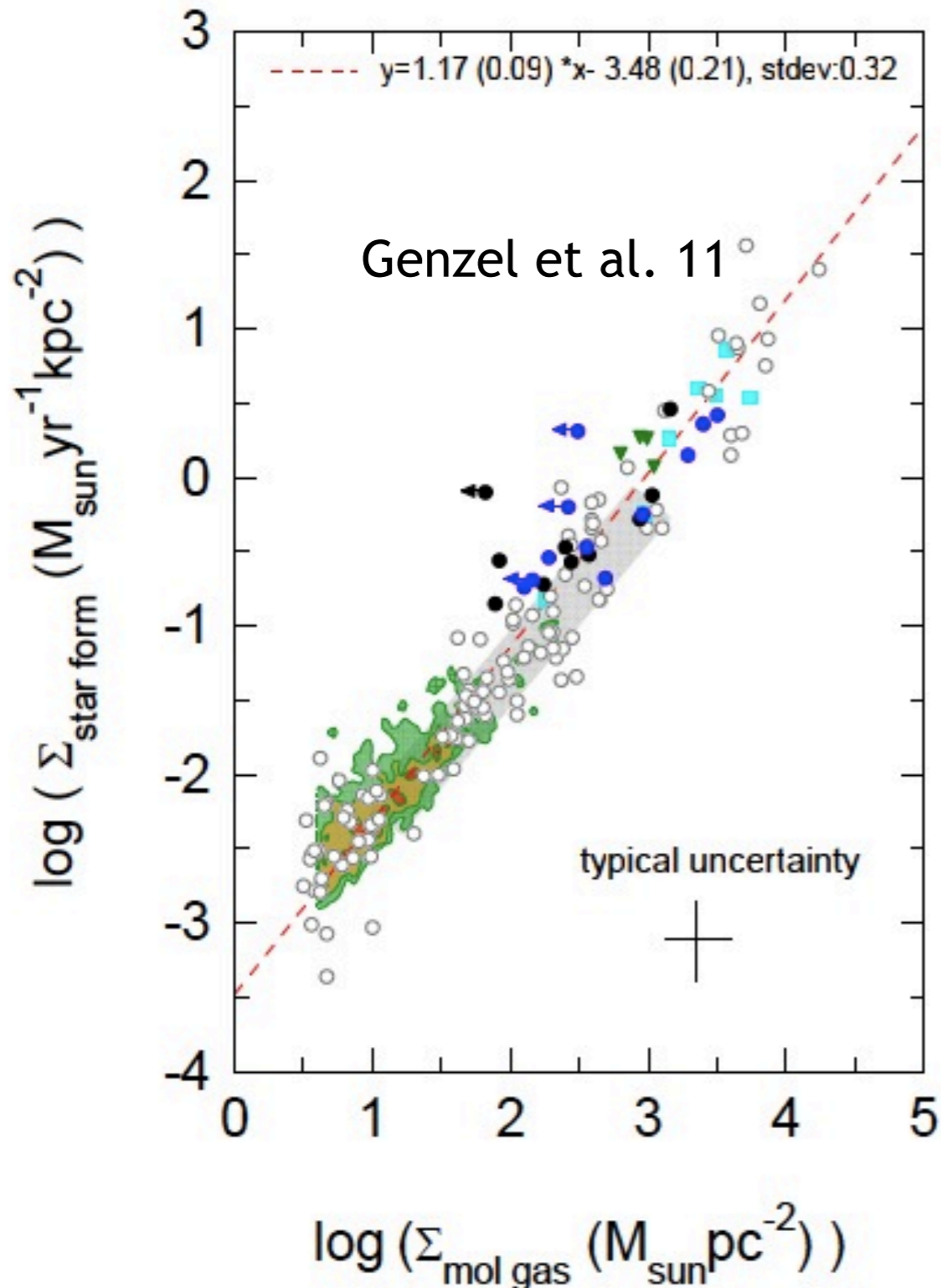








# Evidence for self-regulated star formation



$$SFR = \frac{M_{H_2}}{\tau_{sf}} \text{ with } \tau_{sf} \approx 1 - 2 \cdot 10^9 \text{ yrs}$$

- $\tau_{sf}$  is almost independent of redshift
- Gas depletion timescale **50 times** greater than local free-fall timescale.

$$\tau_{ff} \ll \tau_{sf} < \tau_{\text{Hubble}}$$



continuous replenishment

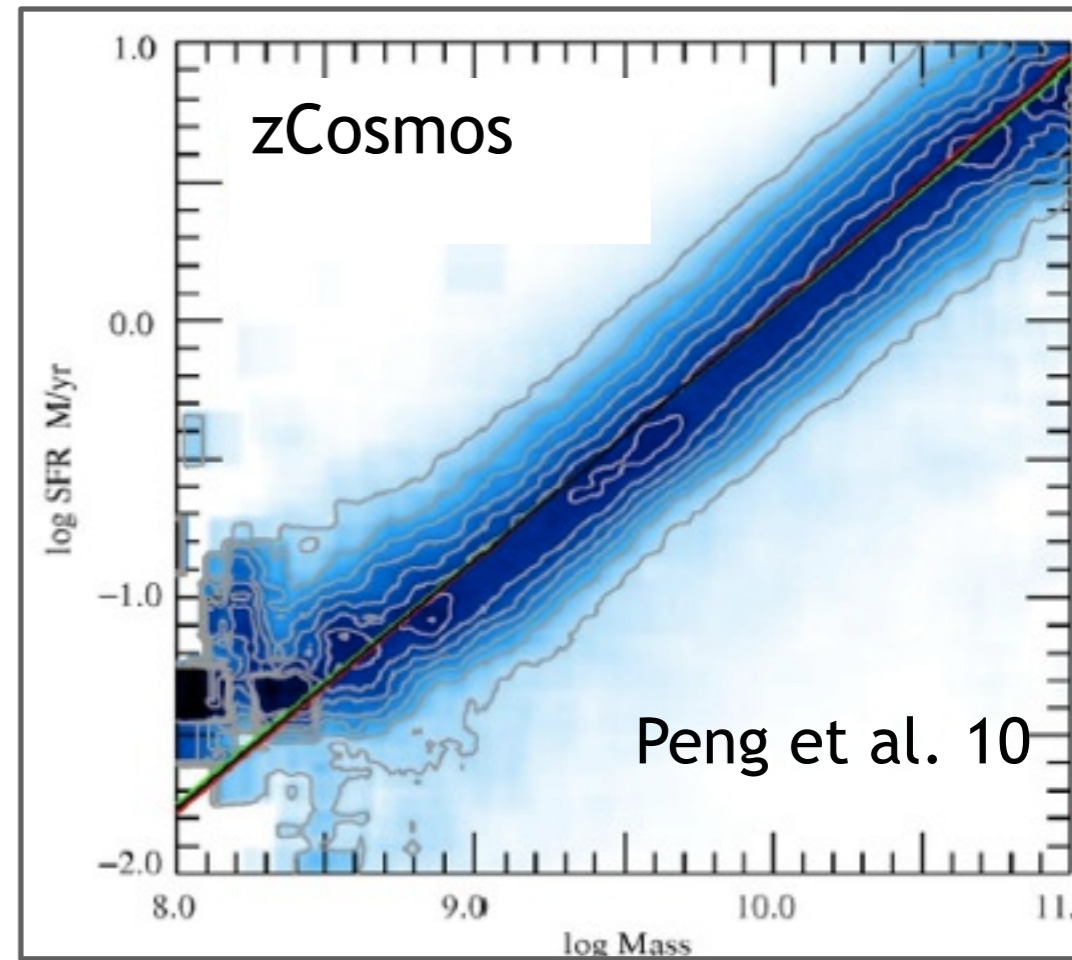
Bouché et al. 07, McKee & Ostriker 08, Genzel et al. 10,11, Daddi et al. 10, Dave 11a,b, Krumholz+ 12

# What determines the SFR?

$$\log \text{SFR} \left[ M_{\odot} / \text{yr} \right]$$

Star formation main sequence (Noeske et al. 07; Daddi et al. 07, Peng et al. 10, Bouche et al. 10):

$$\text{SFR} \approx 6 \left( \frac{M_*}{10^{11} M_{\odot}} \right)^{0.8..1} (1+z)^{2.5} \frac{M_{\odot}}{\text{yr}}$$



Cosmic baryonic accretion rate (Neistein & Dekel 08):  $\log M_* [M_{\odot}]$

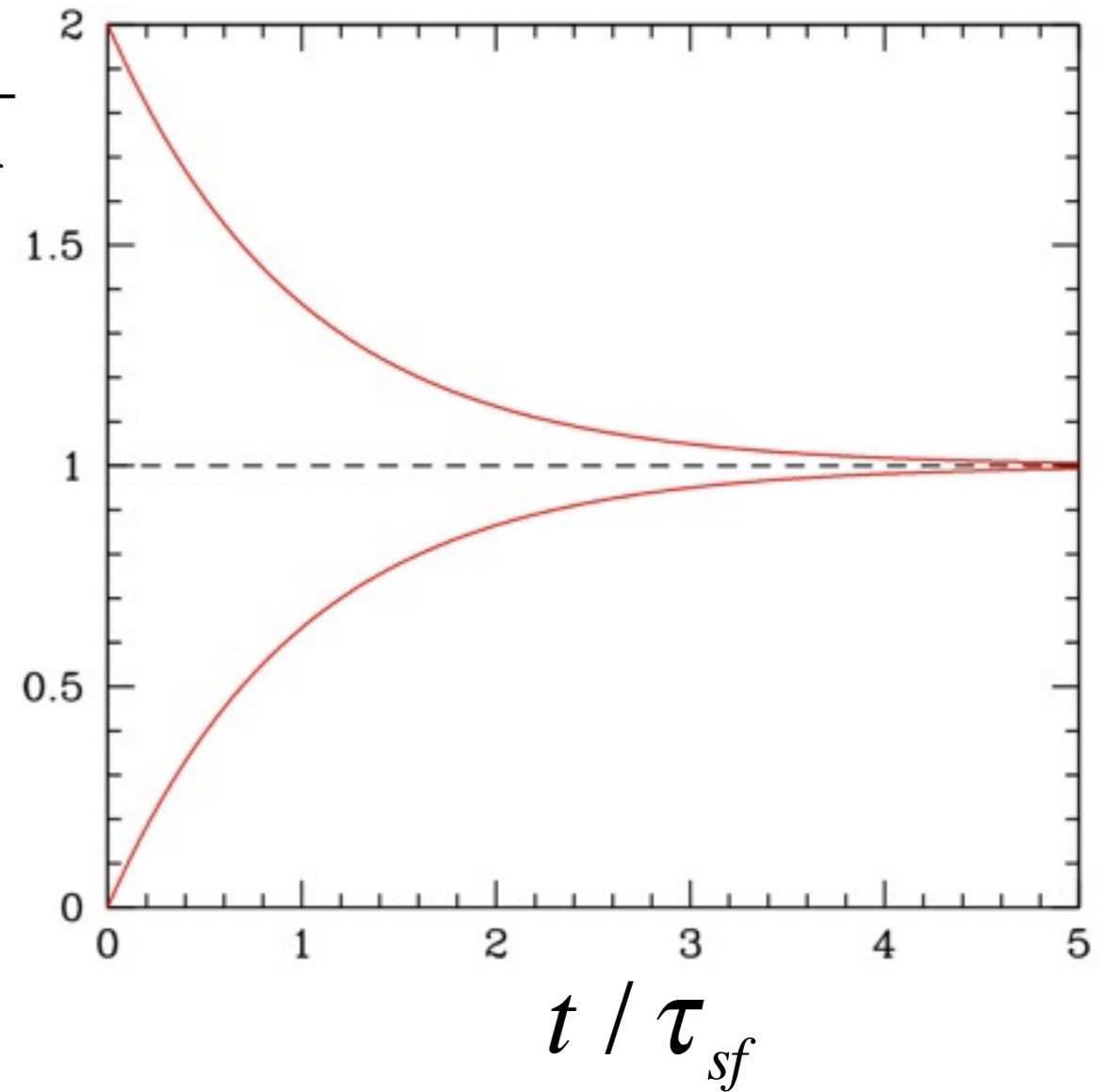
$$\left( \frac{dM_g}{dt} \right)_{acc} \approx 7 \cdot \epsilon_g \left( \frac{M_{DM}}{10^{12} M_{\odot}} \right)^{1.1} (1+z)^{2.2} \frac{M_{\odot}}{\text{yr}}$$

# What determines SFR?

(Bouche et al. 10; Davé et al. 11a,b)

$$\frac{dM_g}{dt} = \left( \frac{dM_g}{dt} \right)_{acc} - \frac{M_g}{\tau_{sf}} (1 - R + \alpha_{wind})$$

$$\frac{SFR}{\dot{M}_{acc,eff}}$$



$$\dot{M}_{acc,eff}$$

$$SFR = \frac{M_g}{\tau_{sf}} = \frac{1}{1 - R + \alpha_{wind}} \left( \frac{dM_g}{dt} \right)_{acc} \left( 1 - \exp\left( -\frac{t}{\tau_{sf}} \right) \right)$$



$$SFR = \dot{M}_{acc,eff}$$

- $\tau_{sf}$  does not determine SFR

# What determines SFR?

(Bouche et al. 10; R. Davé et al. 11a,b)

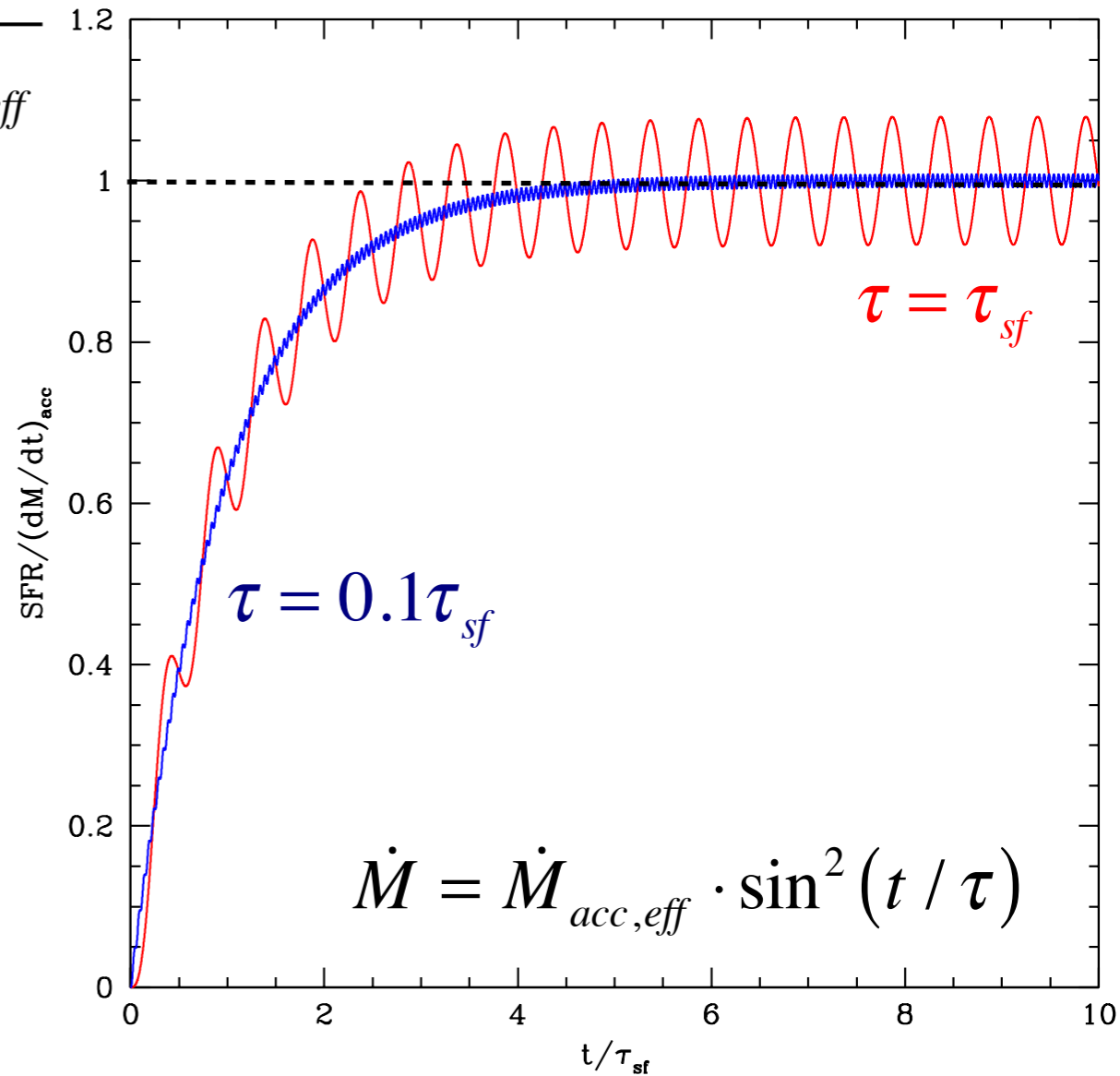
$$\frac{dM_g}{dt} = \left( \frac{dM_g}{dt} \right)_{acc} - \frac{M_g}{\tau_{sf}} (1 - R + \alpha_{wind})$$

$$\dot{M}_{acc,eff}$$

$$SFR = \frac{M_g}{\tau_{sf}} = \frac{1}{1 - R + \alpha_{wind}} \left( \frac{dM_g}{dt} \right)_{acc} \left( 1 - \exp\left( -\frac{t}{\tau_{sf}} \right) \right)$$

$$SFR = \dot{M}_{acc,eff}$$

$$\frac{SFR}{\dot{M}_{acc,eff}}$$



$$t / \tau_{sf}$$

- $\tau_{sf}$  does not determine SFR

## *And what's about self-regulation?*

$$SFR = \dot{M}_{acc,eff} = M_g / \tau_{sf}$$

- $\tau_{sf}$  determines the gas mass

$$M_g = \dot{M}_{acc,eff} \cdot \tau_{sf}$$

Why is  $\tau_{sf} \approx 10^9$  yrs?



# The OML 10 self-regulation model

(Ostriker, McKee & Leroy 2010)

- The **diffuse HI gas** in the ISM provides its pressure **P**
- **P** is set by the **weight** of overlying material in galactic disks
- The diffuse gas is in **equilibrium** between UV heating by massive stars (star formation rate) and cooling.
- The **star formation rate** is linearly proportional to the amount of molecular gas in the galaxy.

$$P = \int_0^{z_{\max}} \rho_{diff} \left( \frac{d\Phi_{diff}}{dz} + \frac{d\Phi_{GMC}}{dz} + \frac{d\Phi_{star}}{dz} + \frac{d\Phi_{DM}}{dz} \right) dz$$
$$P = \frac{\pi G \Sigma_{diff}^2}{2} + \pi G \Sigma_{GMC} \Sigma_{diff} + 2\pi G \left( \frac{\rho_{star+DM}}{\rho_{diff}} \right)_{z=0} \Sigma_{diff}^2$$

$$P = \frac{\pi G \Sigma_{diff}^2}{2} + \pi G \Sigma_{GMC} \Sigma_{diff} + 2\pi G \left( \frac{\rho_{star+DM}}{\rho_{diff}} \right)_{z=0} \Sigma_{diff}^2 = n_{diff} kT \sim n_{diff}$$

$$\Sigma_{GMC} = \Sigma_{total} - \Sigma_{diff}$$

$T \approx 10^4 K$

This leads to an **equilibrium** because

$\Sigma_{diff}$  too high  $\rightarrow$  Why is  $\tau_{sf} = 10^9 yrs$  ?  $n_{diff} > n_{diff}$   $\rightarrow$  cooling  $>$  heating  
 $\Sigma_{diff}$  too low  $\rightarrow$   $n_{diff}$  low and  $\Sigma_{GMC}$  high  $\rightarrow$  cooling  $<$  heating

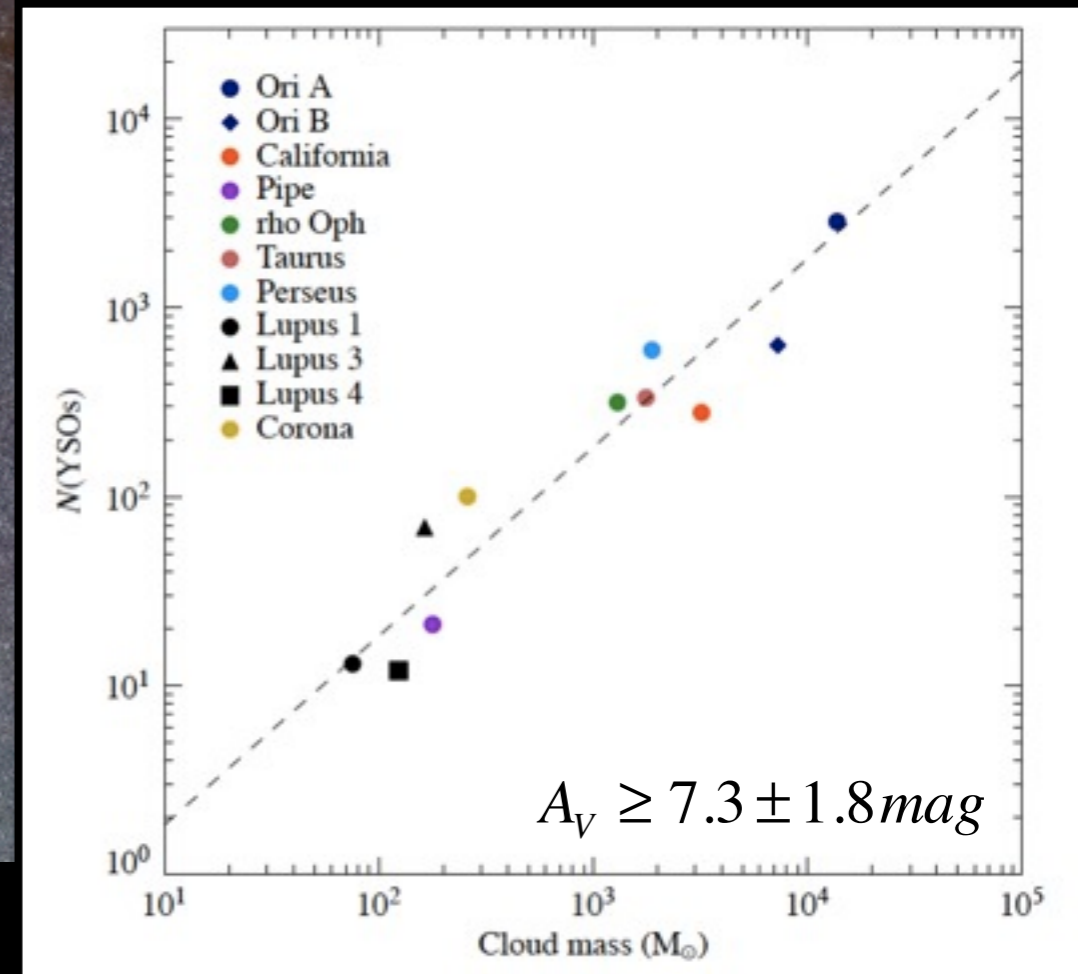
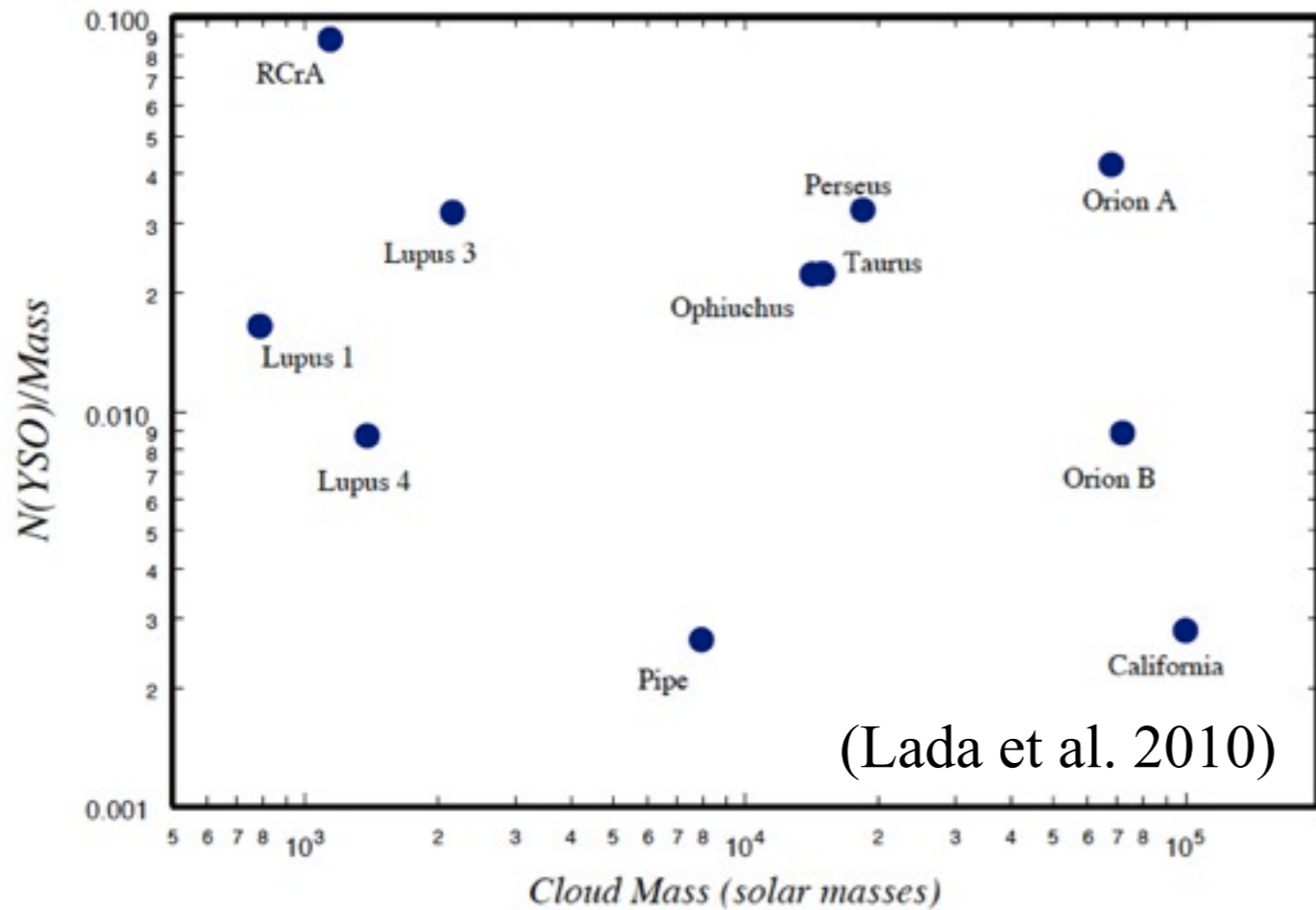
The equilibrium condition requires a certain **SFR**.

**But** the SFR and  $\Sigma_{total}$  is given by the accretion rate.

$\longrightarrow$   $M_{HI}$ ,  $M_{H_2}$  and **SFR** are determined by the **accretion rate**.



$$N(\text{YSOs})_{\text{Oph}} = 15 \times N(\text{YSOs})_{\text{Pipe}}$$



$$n_{A_V=7.3} \approx 10^4 \text{ cm}^{-3}$$

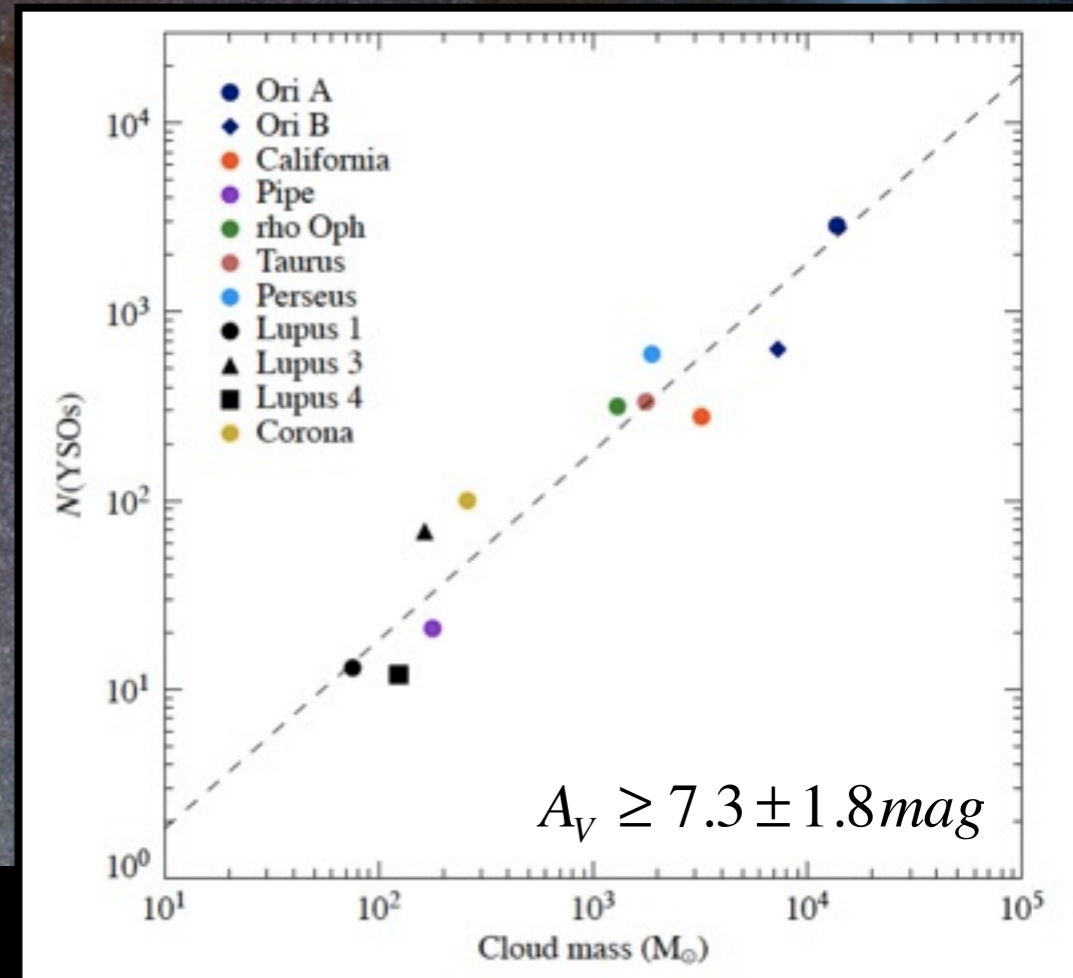
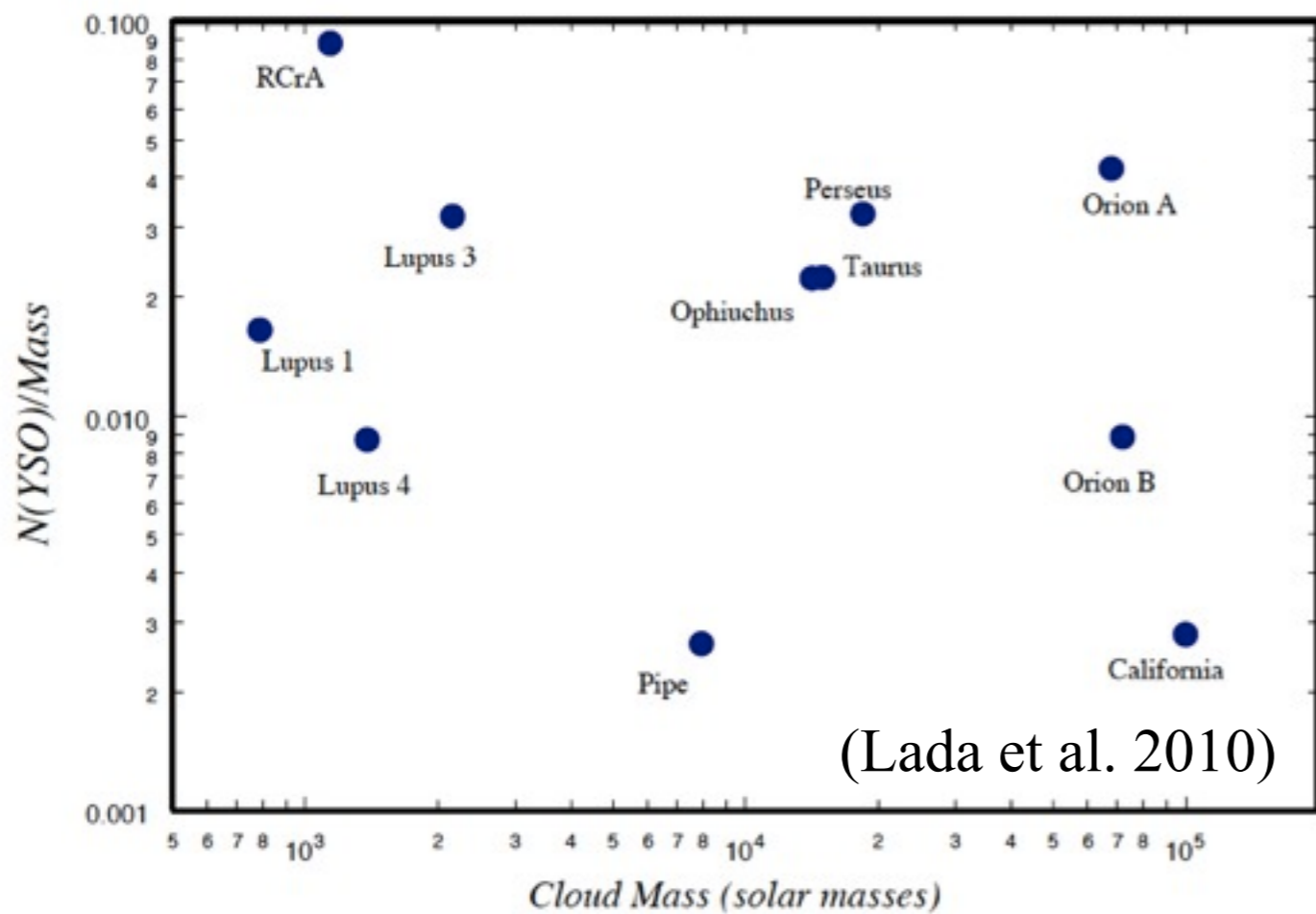
*Star formation history of molecular clouds*

$$SFR \sim M_{\text{dense}} \sim \exp\left(\frac{t}{\tau_{ff}}\right)$$

(Burkert & Hartmann 12)



$$N(\text{YSOs})_{\text{Oph}} = 15 \times N(\text{YSOs})_{\text{Pipe}}$$

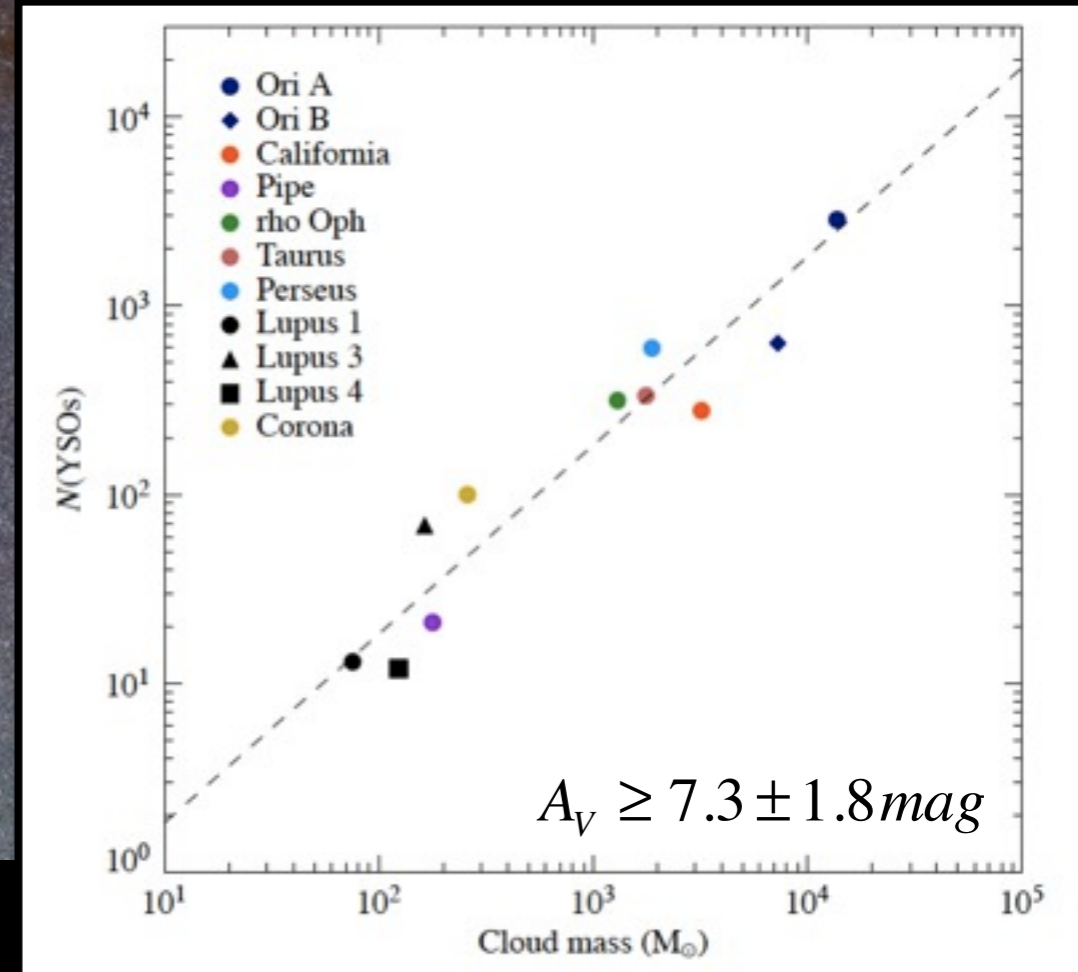
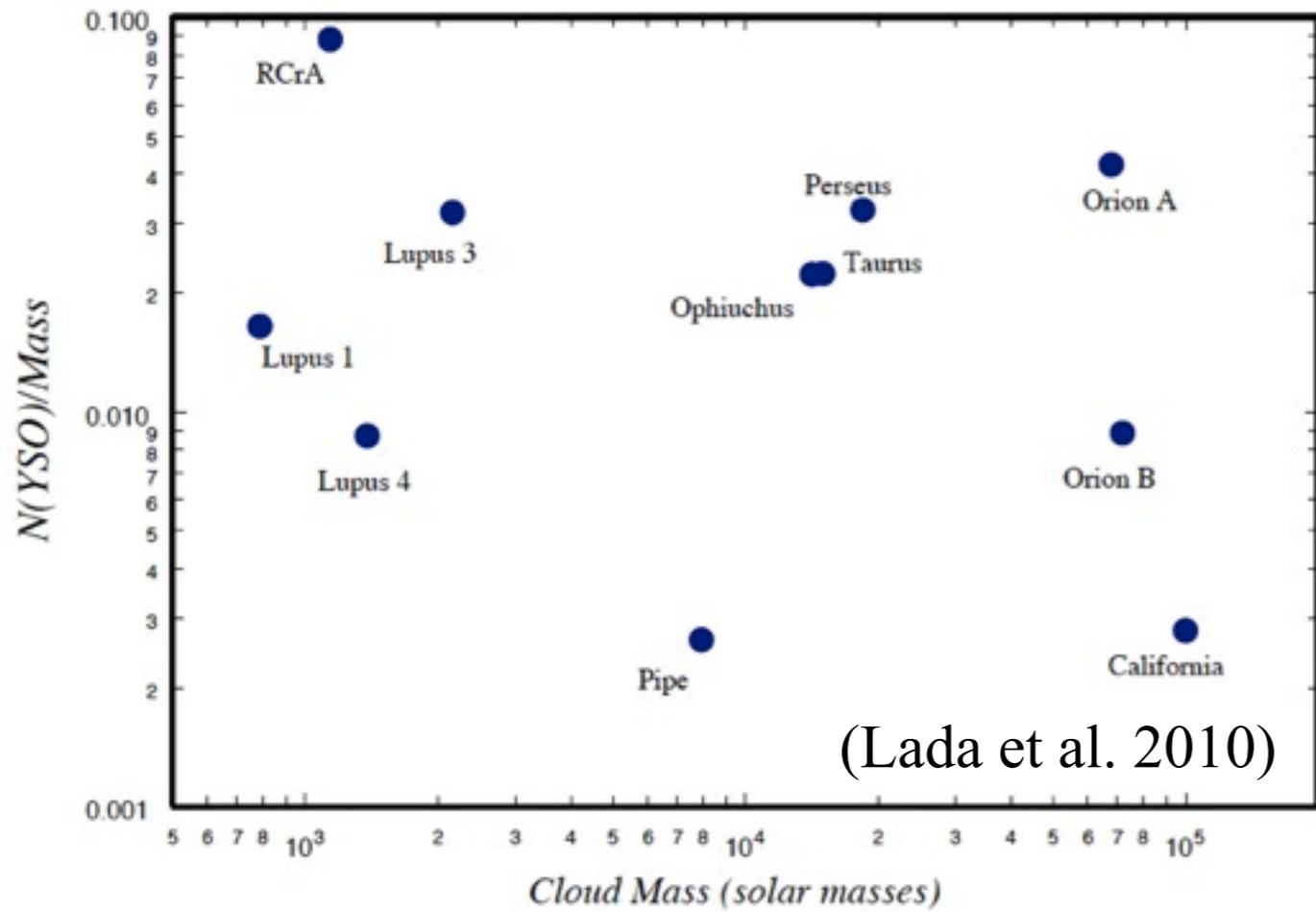


Galactic scales:

$$SFR \approx \frac{M_{H_2}}{10^9 \text{ yrs}}$$



$$N(\text{YSOs})_{\text{Oph}} = 15 \times N(\text{YSOs})_{\text{Pipe}}$$

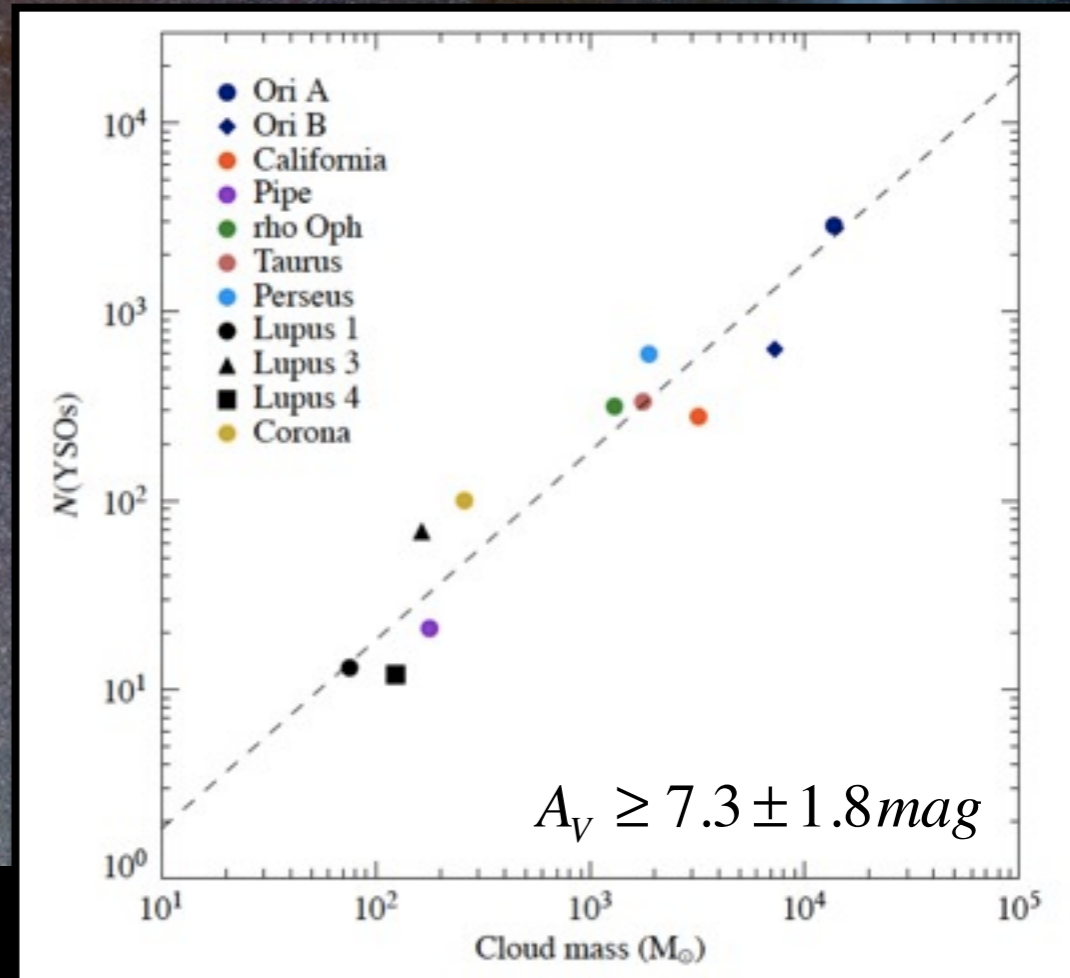
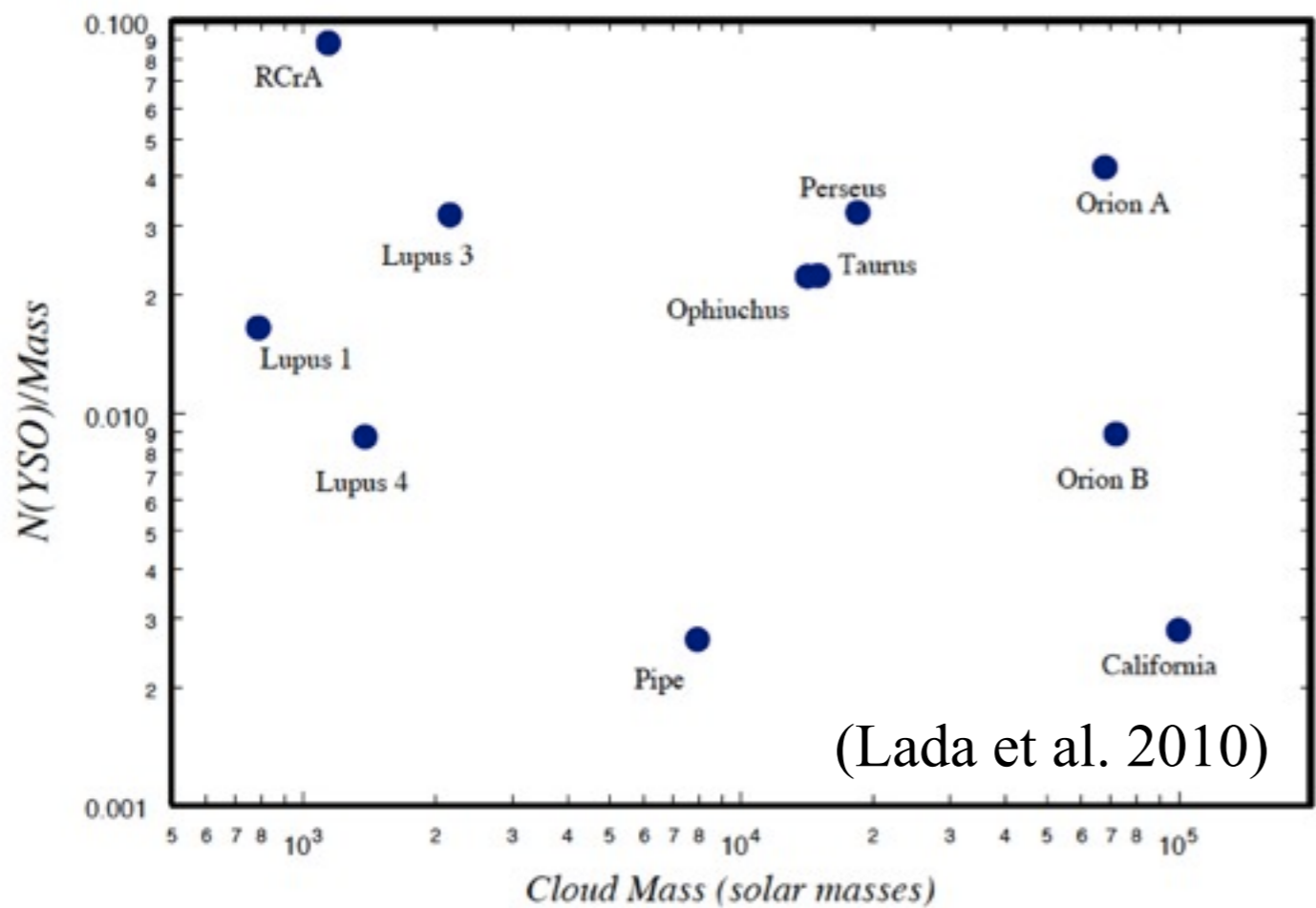


Galactic scales:

$$SFR \approx \frac{M_{H_2}}{10^9 \text{ yrs}} \approx \frac{M_{dense}}{10^8 \text{ yrs}}$$



$$N(\text{YSOs})_{\text{Oph}} = 15 \times N(\text{YSOs})_{\text{Pipe}}$$



Galactic scales:

self-regulation

$$\epsilon = 0.1$$

(Krause+ 12;  
Fierlinger+ 12)

$$SFR \approx \frac{M_{H_2}}{10^9 \text{ yrs}} \approx \frac{M_{dense}}{10^8 \text{ yrs}} \approx \epsilon \frac{M_{dense}}{10^7 \text{ yrs}}$$

$$\tau_{ff} = 3.5 \cdot 10^5 \text{ yrs}$$



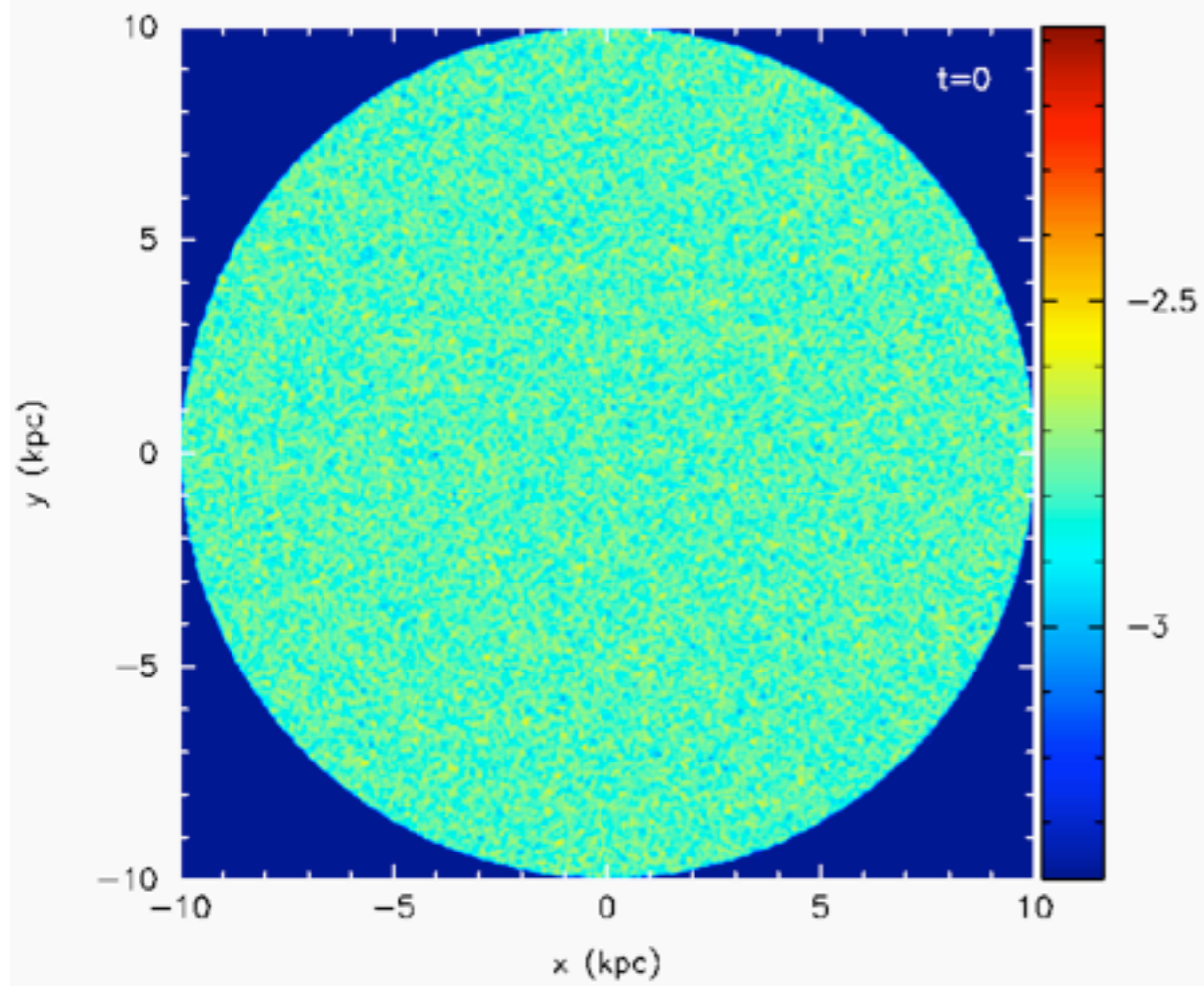
# *Numerical simulations of the molecular web*

( Dobbs, Burkert & Pringle 11a,b, 12a,b)

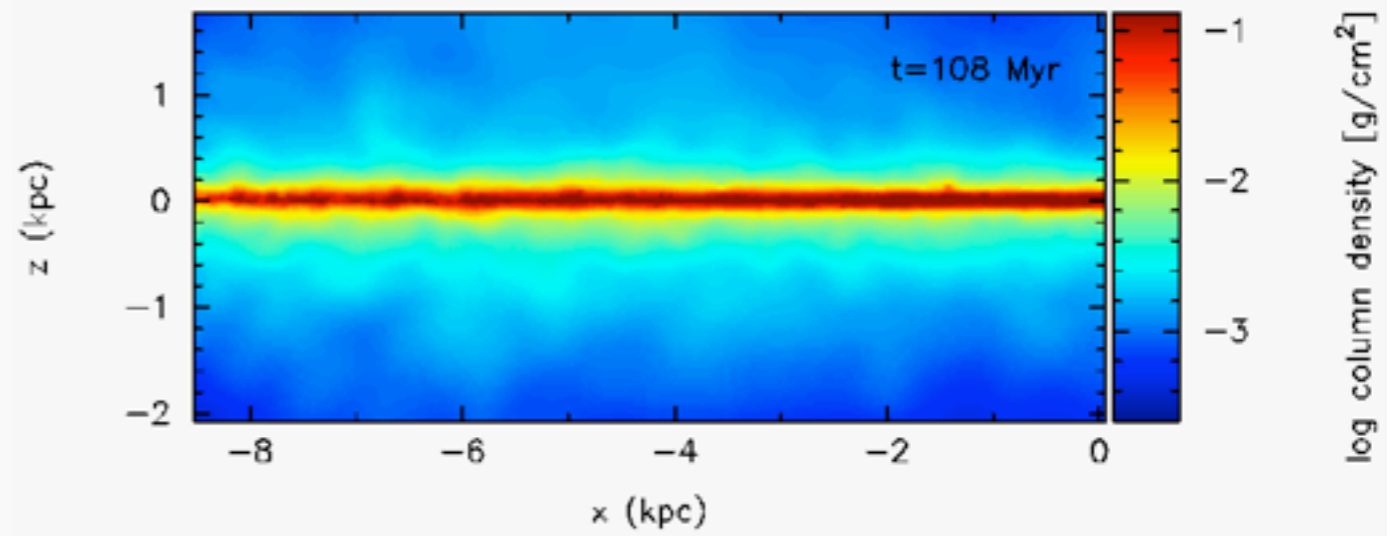
- 3d SPH simulations (Bate et al. 95)
- Fixed galactic gravitational potential (stellar disk + halo)
- Self-gravity of the gas component included
- Calculations with and without an additional 4 armed spiral potential
- Heating (supernovae + FUV background)
- Cooling: radiative + gas-grain energy transfer + recombination on grains
- Stars form when a local molecular region collapses and its density exceeds  $n_{crit} = 250 cm^{-3}$
- A fraction  $\epsilon$  of the gas is assumed to turn into stars that heat the environment with an energy (winds and SN) of

$$E_{SN} = \epsilon \frac{M_{dense}}{160 M_{\odot}} \cdot 10^{51} \text{ ergs}$$

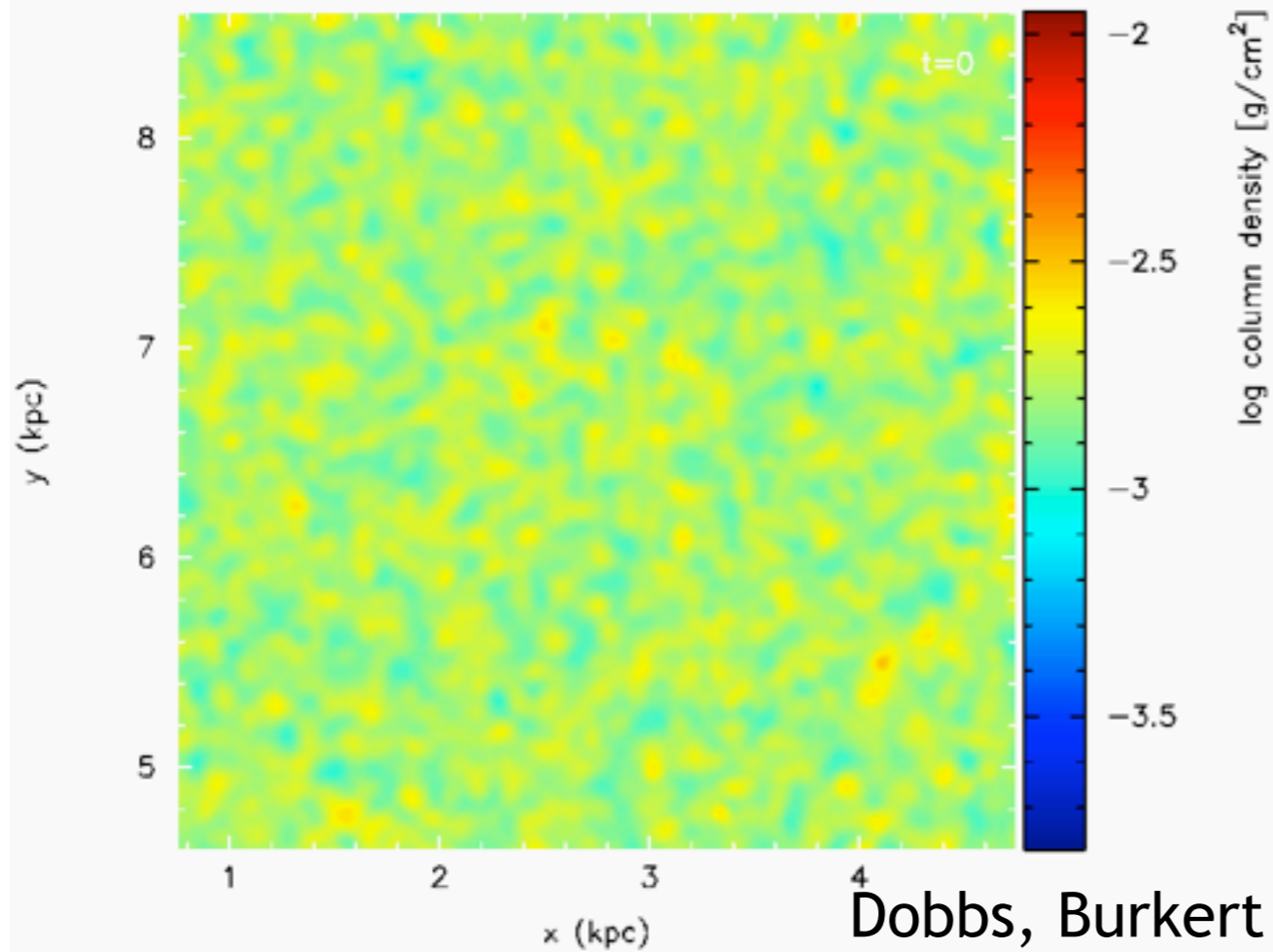
$$\epsilon \approx 2 - 5\%$$



***Feedback puffs up disk***



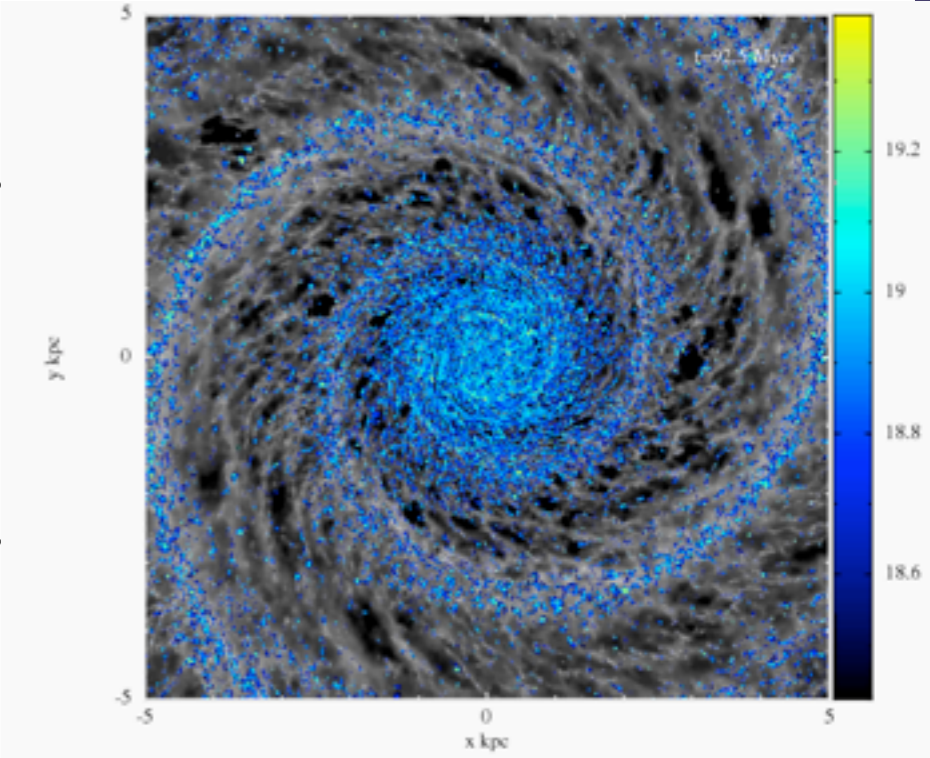
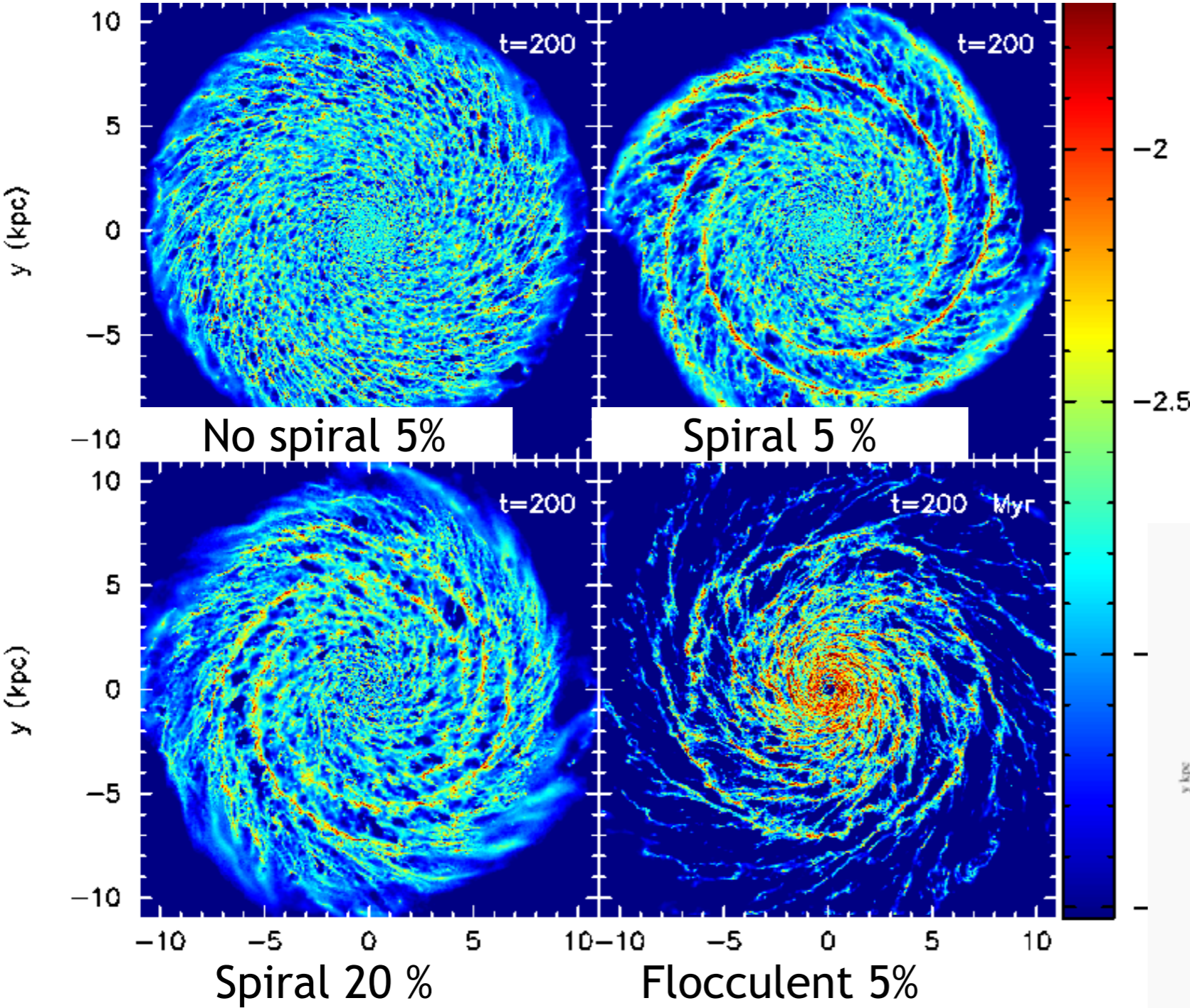
***Filamentary interarm features (spurs)***



Dobbs, Burkert & Pringle 11a,b, 12a,b

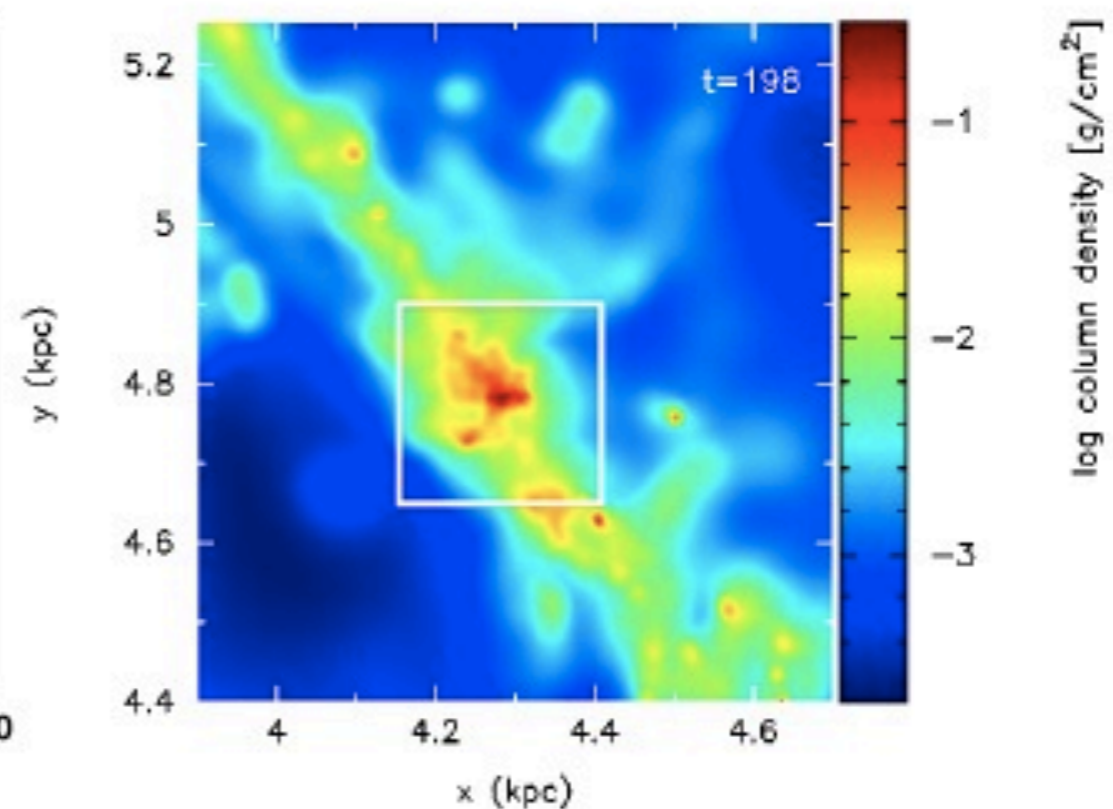
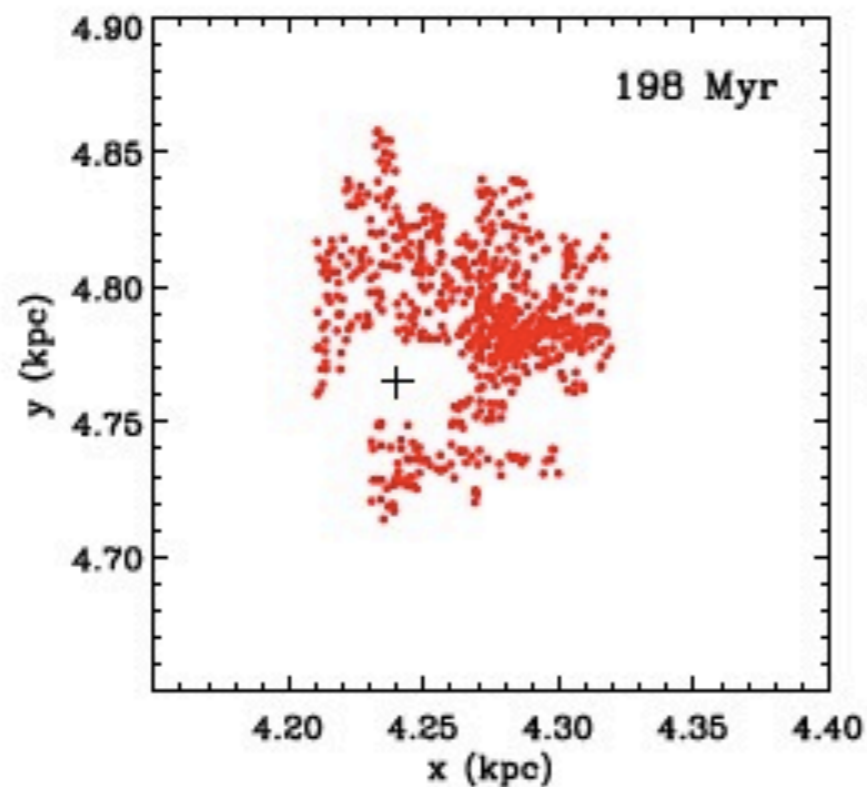
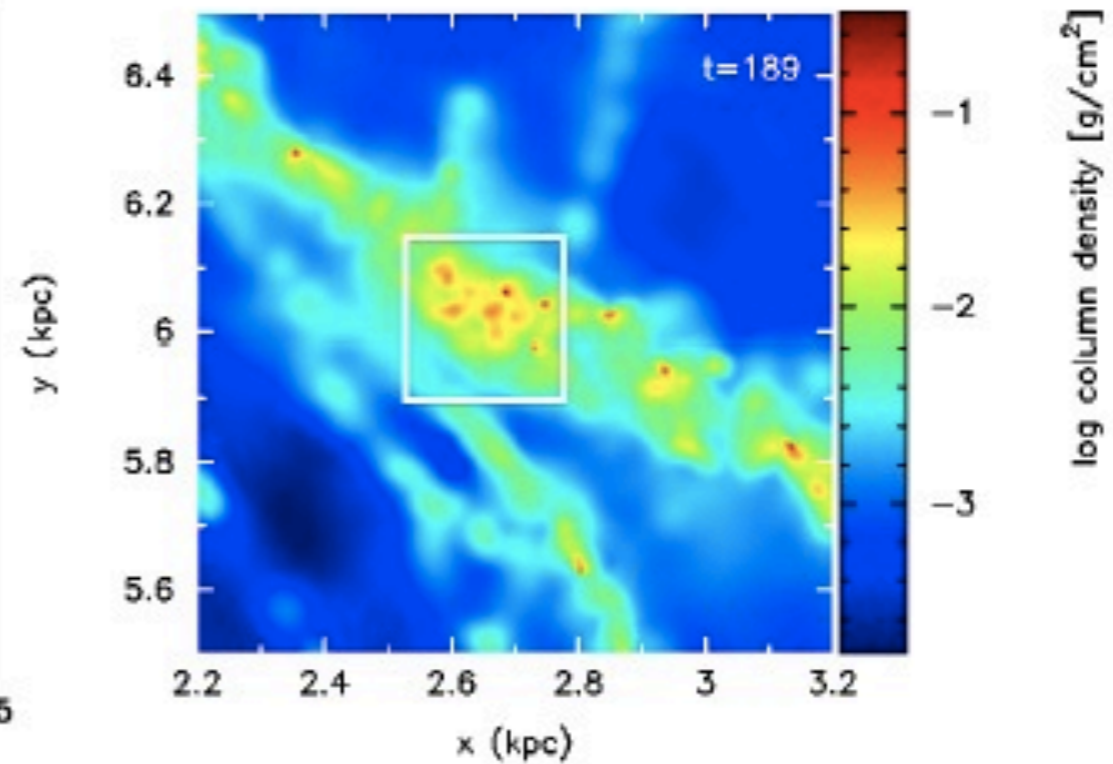
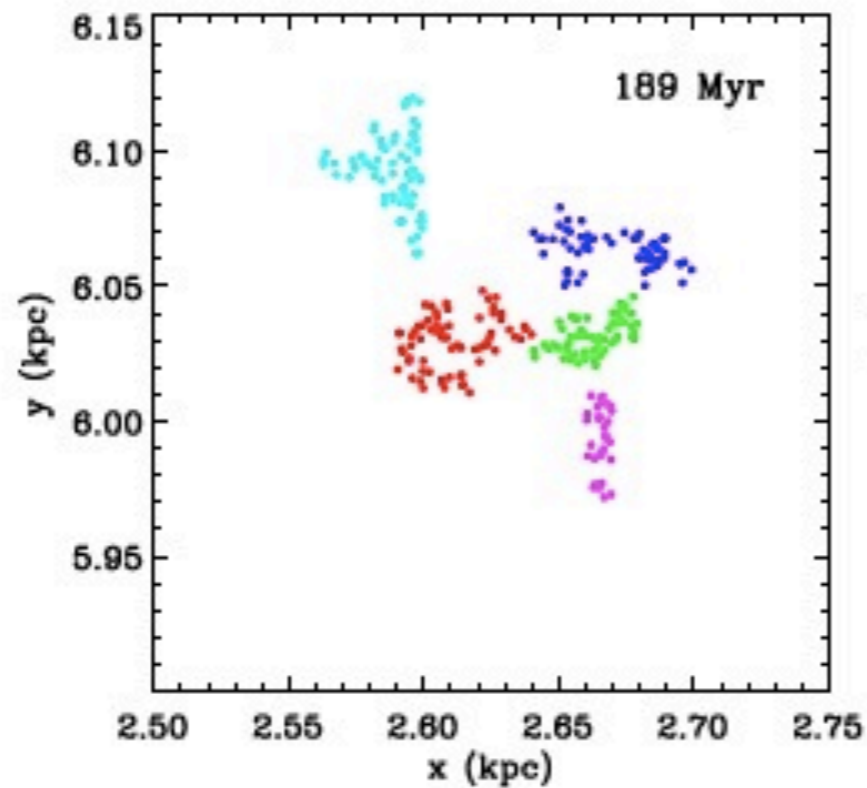


# Gas flows in galaxies - 4 examples



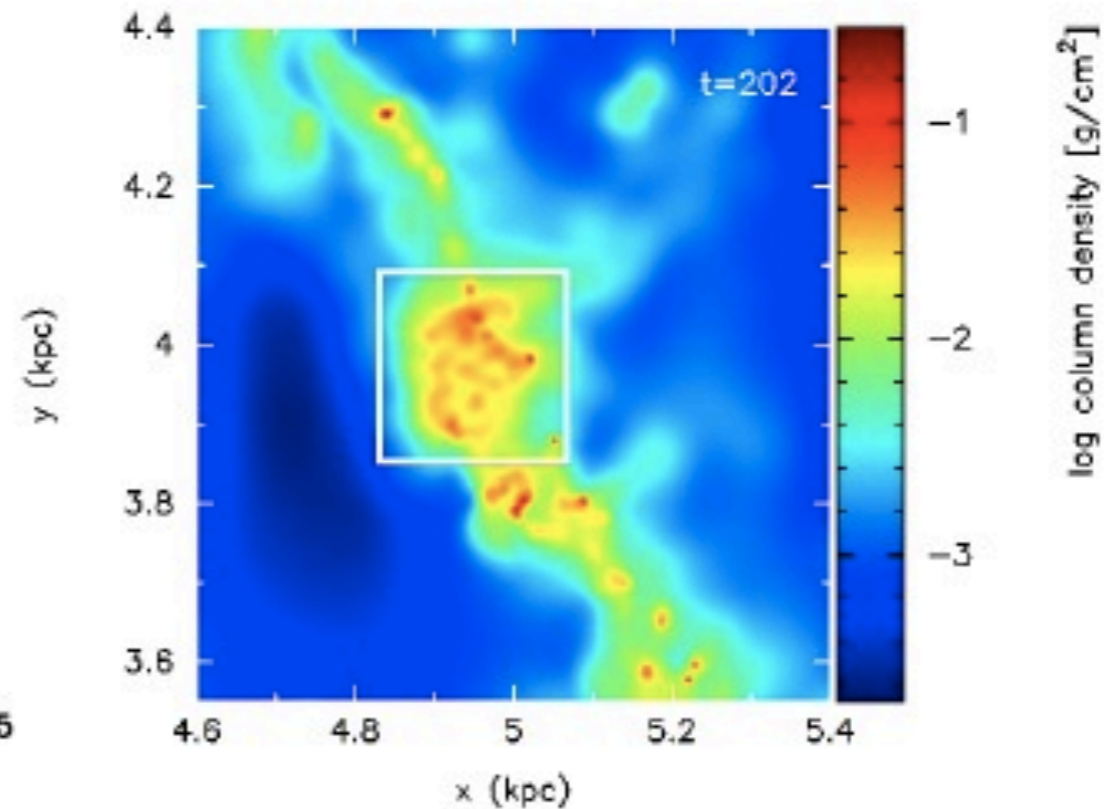
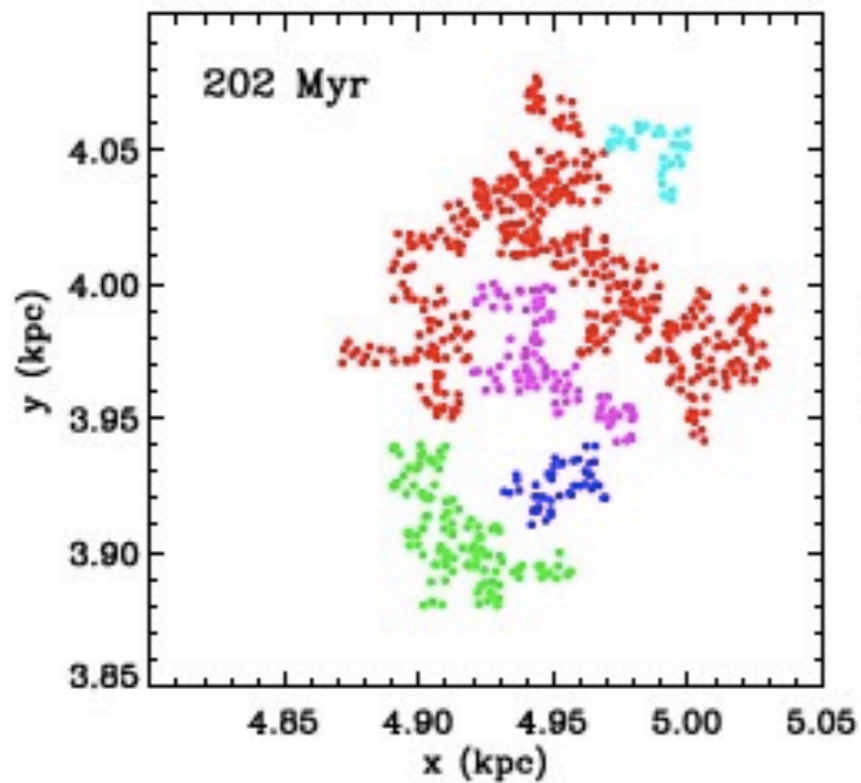
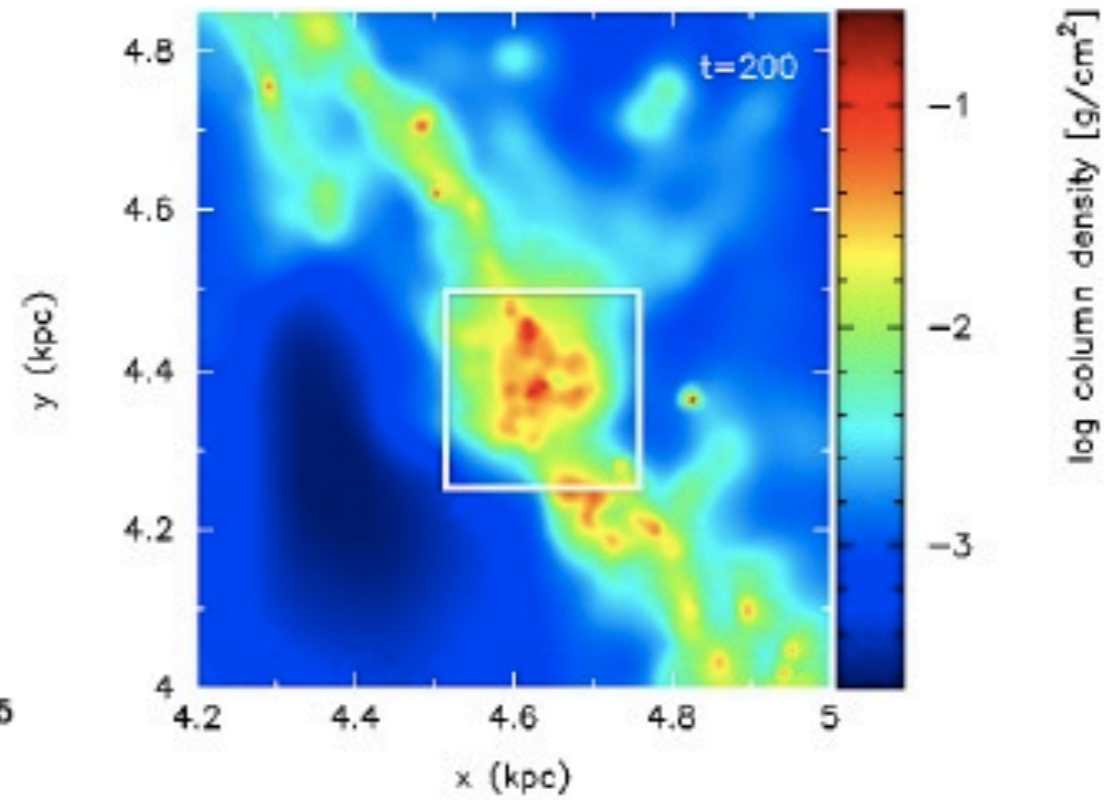
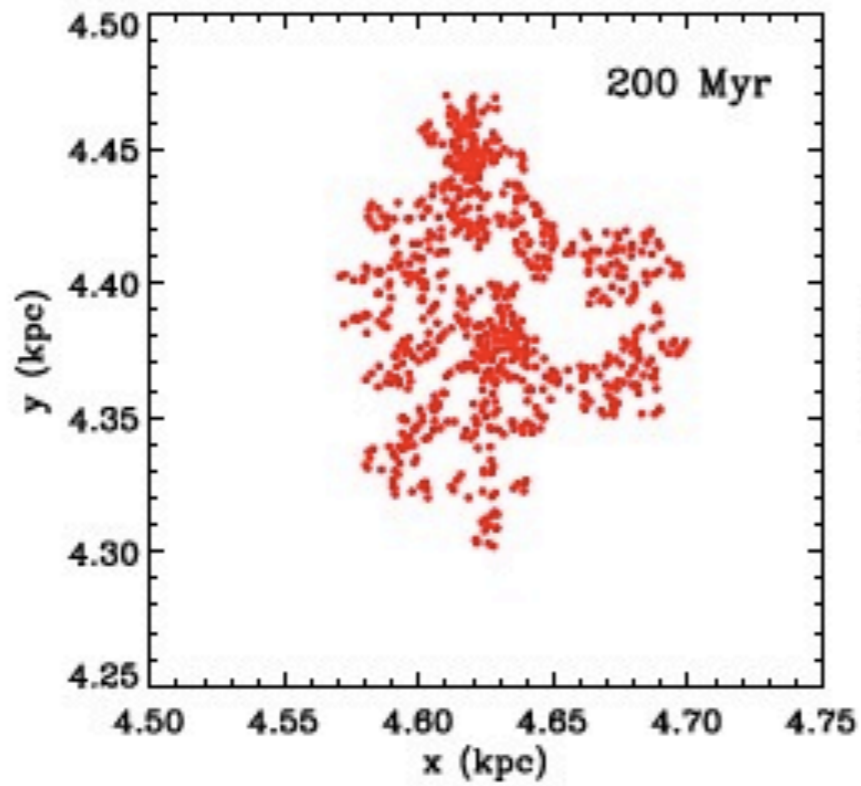


# 1. Collisions by local gravitational instability and irregular gas motions generate massive clouds and drive internal turbulence





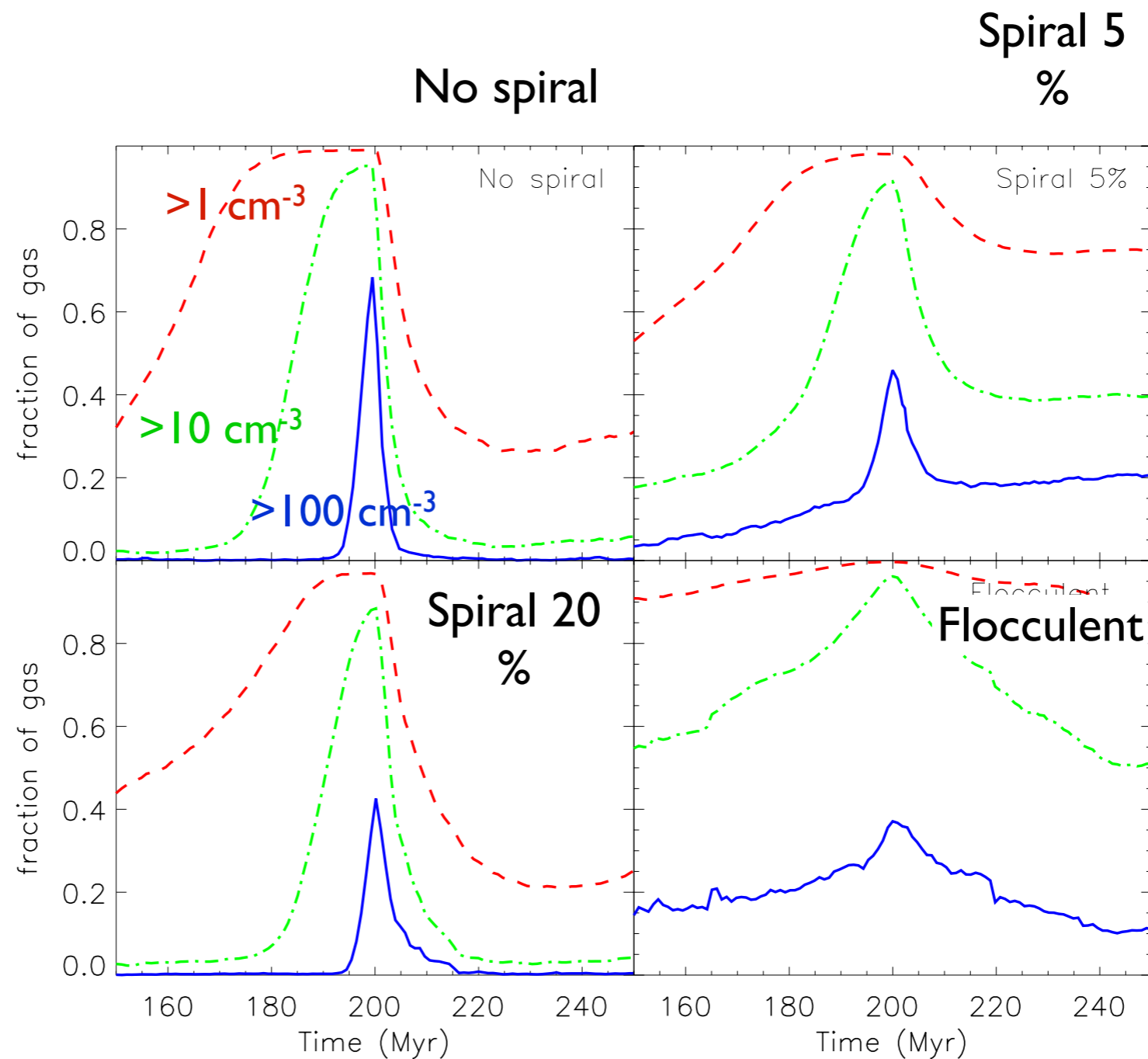
## 2. *Stellar feedback disperses clouds and drives irregular gas motions in the molecular web.*



# How long is gas in GMCs?

Very dense gas occurs 5-10 Myr around star formation

Moderately dense gas exists for much longer





# Growth rate of gravitational instabilities in galaxies:

$$\tau_{\text{Toomre}} = \frac{\sigma}{\pi G \Sigma} = \kappa^{-1} = \left(\sqrt{2\Omega}\right)^{-1} \rightarrow \tau_{\text{Toomre}} = 0.1 \cdot \tau_{\text{orb}} \approx 1 - 2 \cdot 10^7 \text{ yrs}$$

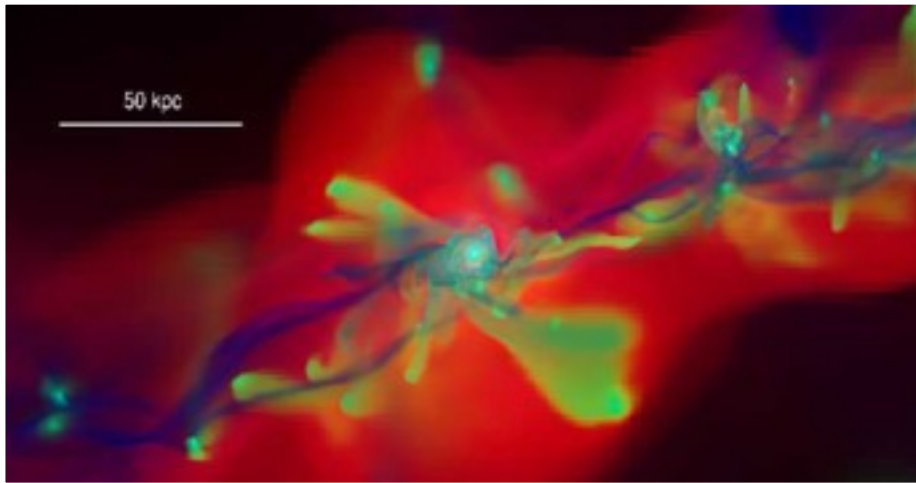
$$Q = 1$$

$$\tau_{\text{orb}} \sim \frac{R_{\text{vir}}}{V_{\text{vir}}} \sim H^{-1}$$

$$SFR \approx \frac{M_{H_2}}{10^9 \text{ yrs}} \approx \epsilon_{sf} \cdot \frac{M_{\text{dense}}}{M_{H_2}} \cdot \frac{M_{H_2}}{\tau_{\text{Toomre}}}$$

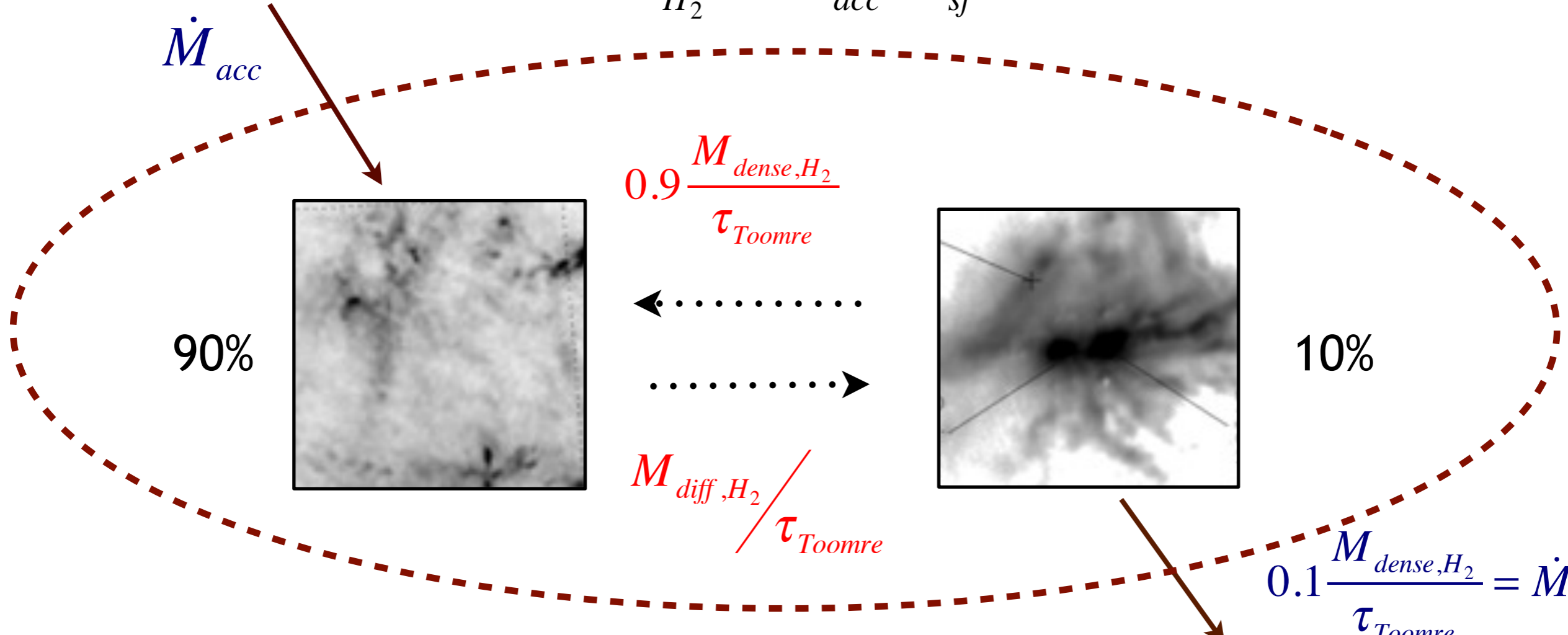
$$\epsilon_{sf} \approx 0.1$$

# Self-regulated star formation



$$M_{H_2} = \dot{M}_{acc} \cdot \tau_{sf}$$

$\dot{M}_{acc}$



$$0.1 \frac{M_{dense,H_2}}{\tau_{Toomre}} = \dot{M}_{acc}$$

$$\tau_{sf} = 100 \cdot \tau_{Toomre} = \frac{M_{diff} / M_{dense}}{\epsilon \cdot \kappa}$$

