Gravity, Turbulence, and Magnetic Fields

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David C. Collins (Right here) Metropolis Postdoctoral Fellow Los Alamos National Lab "The low-metallicity ISM: chemistry, turbulence and magnetic fields" 2012-10-11

Star Formation:

- Turbulence $E(k) \propto k^{-5/3}$
 - Supersonic $V(\rho) = lognormal, \rho^{1/3}v$
- Magnetic Fields $V(B) =? B^2(k) \propto k^?$
- Self Gravity
 ???
- Cooling
- Feedback

Outline

- Statistical properties of self-gravitating magnetized turbulence.
- Discuss contribution to collapse from kinetic, thermal, magnetic, and gravitational energies

Three Simulations

- Mach 10
- Isothermal Ideal MHD
- Gravity
- AMR+MHD (512+4 levels)



- Enzo:(Collins+'10, Balsara+01, Gardiner+05,Li+08) enzo-project.org
- Results (Collins+2011, Collins+2012)
- yt (yt-project.org)
- Kraken





Density PDF



Self Similar Collapse

 $\rho \propto r^{-2}$ $V(\rho) \propto \rho^{-3/2}$

(-1.64 measured. Many self similar spherical solutions. Pressure-Free give -1.7)(Kritsuk + 2011) (Girichidis + in prep)





Star forming clouds have powerlaw tail!

Tail not self-gravitating?

- Consistent with pressure-confined clumps
- How do simulations compare?
 Need synthetic observations



 $5\sigma^2 R$

(Kainulainen+ 2011)





Trans-Alfvenic Super-Alfvenic





- Saturation depends on scale and mean field
- Gravity flattens spectra





Turbulence + Magnetic Fields + Gravity: Sale dependance?

Local Support against Gravity in magneto turbulent fluids.

Schmidt, Collins, & Kritsuk (2012?) in prep

Outline

- Statistical properties of self-gravitating turbulence.
- Discuss contribution to collapse from kinetic, thermal, magnetic, and gravitational energies

Typically

$$\sigma^2 = c_s^2 + v_{\rm rms}^2 + v_A^2$$



• Examine stability of cloud via velocity divergence.

$d = \nabla \cdot \mathbf{v}$



• Examine stability of cloud via velocity divergence.

$$\frac{\partial}{\partial t}(\rho \mathbf{v}) + \nabla \cdot (\rho \mathbf{v} \otimes \mathbf{v}) = -\nabla P + \frac{1}{c}(\mathbf{J} \times \mathbf{B}) - \rho \nabla \phi$$



• Examine stability of cloud via velocity divergence.

$$-\frac{\mathrm{D}d}{\mathrm{D}t} = 4\pi G \rho_0 \delta - \Lambda$$

$$\Lambda = \Lambda_{\text{turb}} + \Lambda_{\text{therm}} + \Lambda_{\text{magn}}$$
$$\Lambda_{+} > 0 \quad \Lambda_{-} < 0$$



$$\Lambda_{\text{therm}} = -\frac{1}{\rho} \frac{\partial^2 P}{\partial x_i \partial x_i} + \frac{1}{\rho^2} \frac{\partial \rho}{\partial x_i} \frac{\partial P}{\partial x_i} = -c_0^2 \nabla^2 \ln \rho$$

$$\Lambda_{\rm turb} = \frac{1}{2} \left(\omega^2 - |S|^2 \right)$$

$$\Lambda_{\text{magn}} = \frac{1}{4\pi\rho} \left[-\frac{\partial^2}{\partial x_i \partial x_i} \left(\frac{1}{2} B^2 \right) + \frac{\partial B_i}{\partial x_j} \frac{\partial B_j}{\partial x_i} \right] + \frac{1}{4\pi\rho^2} \frac{\partial\rho}{\partial x_i} \left[\frac{\partial}{\partial x_i} \left(\frac{1}{2} B^2 \right) - B_j \frac{\partial B_i}{\partial x_j} \right]$$

Simulations

- As before, plus:
- AMR Hydro (512 + 5x4), Mach 6
- Kritsuk + 2011

Results

 Gravity provides collapse (duh)



therm

magn

- Pressure gradients support Λ
 - Mach 10!
- Turbulence causes compression
 - "Turbulent Pressure?"
- Weak fields experience more amplification, support than strong.

 Λ_{turb}







All AMR Super Gravity.

Same snapshot, only root grid. Effective large scale filtering.





All AMR

Same snapshot, only root grid. Effective large scale filtering.

Magnetic Term: Low Field Run.



Magnetic Term: High Field Run.



Results

- Gravity collapses.
 - Powerlaw tails! (?)
- Pressure gradients support
- Turbulence compression
- Fields? Non monotonic!
- Scale Dependance
- Virial Parameter?